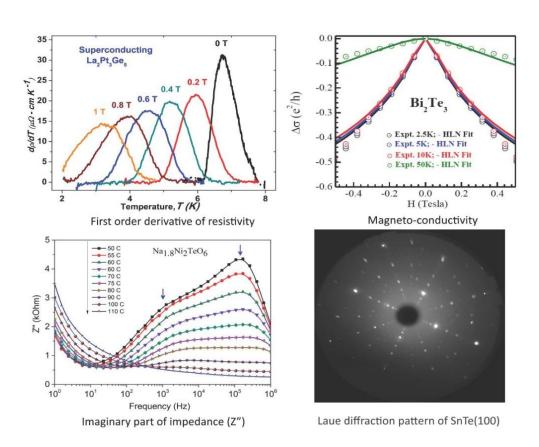
Volume 2115 A

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CONTRIBUTED PAPERS

Light up-conversion and structural properties of Sn and Er^{3+} doped $Ba_{.995}$ $Er_{.005}$ ($Sn_{.06}Ti_{.94}$) O_3 ceramics \boxminus

Mohd. Azaj Ansari; K. Sreenivas

AIP Conf. Proc. 2115, 030001 (2019) https://doi.org/10.1063/1.5112840

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	l. C. Mishra; R. Naik
	5, 030002 (2019) https://doi.org/10.1063/1.5112841
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Pressure induced phase transition in U_2C_3 under pressure: An *ab-initio* investigation $\mbox{\ensuremath{\square}}$

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PDF

Coexistence of relaxor and normal ferroelectricsin (Ba_{0.82} Sr_{0.02}Ca_{0.16})Ti_{0.9}

B. D. Sahoo; K. D. Joshi; T. C. Kaushik

Tusita Sau; Poonam Yadav; N. P. Lalla

Abstract ✓

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AIP Conf. Proc. 2115, 030007 (2019) https://doi.org/10.1063/1.5112846

AIP Conf. Proc. 2115, 030005 (2019) https://doi.org/10.1063/1.5112844

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Electrical properties of Ba(Ni_{1/3}Ti_{1/3}W_{1/3})O₃ ceramic \(\mathbb{\text{\text{\text{P}}}}\)

Prabhasini Gupta; P. K. Mahapatra; R. N. P. Choudhary

AIP Conf. Proc. 2115, 030015 (2019) https://doi.org/10.1063/1.5112854

Spin-1 bosons in optical superlattice ₩

Chetana G. F. Gaonker; B. K. Alavani; A. Das; R. V. Pai

AIP Conf. Proc. 2115, 030016 (2019) https://doi.org/10.1063/1.5112855

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Preparation of low-cost porous mullite balls from kaolin and alumina using naphthalene as pore-former ≒

Amit Kumar Yadav; Lubna Farheen; Sunipa Bhattacharyya

AIP Conf. Proc. 2115, 030017 (2019) https://doi.org/10.1063/1.5112856

Theoretical and experimental investigation of different phases in as cast equiatomic CrFeMoNbV alloys ≒

A. Saikumaran; R. Mythili; S. Saroja; K. A. Irshad; S. Kalavathy; Rajesh Ganesan AIP Conf. Proc. 2115, 030018 (2019) https://doi.org/10.1063/1.5112857

Spin-1 Bosons in optical superlattice

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Abstract. In this paper, we analyze superfluid, insulator and various magnetic phases of ultracold spin-1 bosonic atoms in two-dimensional optical superlattices. Our studies have been performed using Cluster Mean Field Theory. Calculations have been carried out for a wide range of densities and the energy shifts due to the superlattice potential. We find superlattice potential do not change the symmetry of the polar superfluid phases. Superlattice potentials induce Mott insulator phases with half-integer densities. The phase diagram is obtained using superfluid density, nematic order and singlet density. Second order Rényi entanglement entropy is also calculated in different phases. The results show that Rényi entanglement entropy is large in the nematic Mott insulator phase.

INTRODUCTION

Ultracold atoms in optical lattices and superlattices provide us with the realization of engineered quantum many-body lattice models [1]. One remarkable development in this context is the realization of Bose gases in the optical lattices. Superfluid (SF) to Mott Insulator (MI) quantum phase transition in cold bosonic atoms has received great scientific attention since its theoretical prediction in the context of Bose Hubbard model (BHM), and followed by its experimental realization [2-4]. When traps are purely optical, Alkali atoms like ⁸⁷Rb, ²³Na and ³⁰K, with hyperfine spin F=1, have spin degrees of freedom and thus, the interaction between bosons is spin-dependent [5]. The interaction is ferromagnetic (e.g. ⁸⁷Rb) or anti-ferromagnetic (e.g. ²³Na), depending upon scattering lengths of singlet and quintuplet channels [6]. The spin-dependent interaction in spinor gases exhibits richer quantum effects than their single-component counterparts and it not only modifies the nature of phase diagrams but also allows the study of superfluidity and magnetism.

The optical superlattices are obtained by super-imposition of two monochromatic lattices with slightly different wavelengths [7]. Manipulating the relative phase between the two standing waves and their respective depths independently, a periodic pattern of potential wells with two different depths at two adjacent sites is obtained. This difference in the depth of two adjacent sites is the measure of superlattice potential. In this report, we investigate spin-1 ultracold bosons loaded into 2-dimensional bi-chromatic optical superlattices.

MODEL AND METHOD

$$\mathcal{H} = -t \sum_{\langle i,j \rangle,\sigma} \left(a_{i,\sigma}^{\dagger} a_{i,\sigma} + a_{i,\sigma}^{\dagger} a_{i,\sigma} \right) + \frac{v_0}{2} \sum_i \hat{n}_i (\hat{n}_i - 1) + \frac{v_2}{2} \sum_i (\vec{F}_i^2 - 2\hat{n}_i) - \sum_i \mu_i \hat{n}_i, \tag{1}$$

The spin-1 Bose–Hubbard model, which describes spin full bosons in an optical superlattice, is given by $\mathcal{H} = -t \; \sum_{\langle i,j \rangle, \sigma} \left(a_{i,\sigma}^{\dagger} a_{j,\sigma} + a_{j,\sigma}^{\dagger} a_{i,\sigma} \right) + \frac{\upsilon_0}{2} \sum_i \hat{n}_i (\hat{n}_i - 1) + \frac{\upsilon_2}{2} \sum_i (\vec{F}_i^2 - 2\hat{n}_i) - \sum_i \mu_i \hat{n}_i, \tag{1}$ where first term represents hopping of bosons between nearest neighbour sites $\langle i,j \rangle$ with an amplitude t. Here $a_{i,\sigma}$ ($a_{i,\sigma}^{\dagger}$) represents annihilation (creation) operator at site *i* with spin projection $\sigma = \{-1, 0, 1\}$, number operator $\hat{n}_{i,\sigma} = a_{i,\sigma}^{\dagger} a_{i,\sigma} \text{ and } \hat{n}_i = \sum_{\sigma} \hat{n}_{i,\sigma}. \text{ Spin operator } \vec{F}_i = \left(F_i^x, F_i^y, F_i^z\right) \text{ where } F_i^{\alpha} = \sum_{\sigma,\sigma'} a_{i,\sigma}^{\dagger} S_{\sigma,\sigma'}^{\alpha} a_{i,\sigma'} \text{ with } \alpha = x,y,z$ and $S_{\sigma,\sigma'}^{\alpha}$ are standard spin-1 matrices. Spin independent (dependent) interaction $U_0(U_2)$ arises due to the difference in the scattering length a_0 and a_2 in the spin S=0 and S=2 channels respectively. The spin dependent interaction U_2 can be positive (anti-ferromagnetic) or negative (ferromagnetic) depending on the values of a_0 and a_2 [5]. The site dependent chemical potential $\mu_i = \mu + (-1)^i \delta$ where μ controls the bosons density and δ is the shift in energy due to superlattice potential. Here, we consider a bi-chromatic superlattice and thus, the whole lattice is bipartite into A and B sub-lattices with $\mu_A = \mu + \delta$ and $\mu_B = \mu - \delta$.